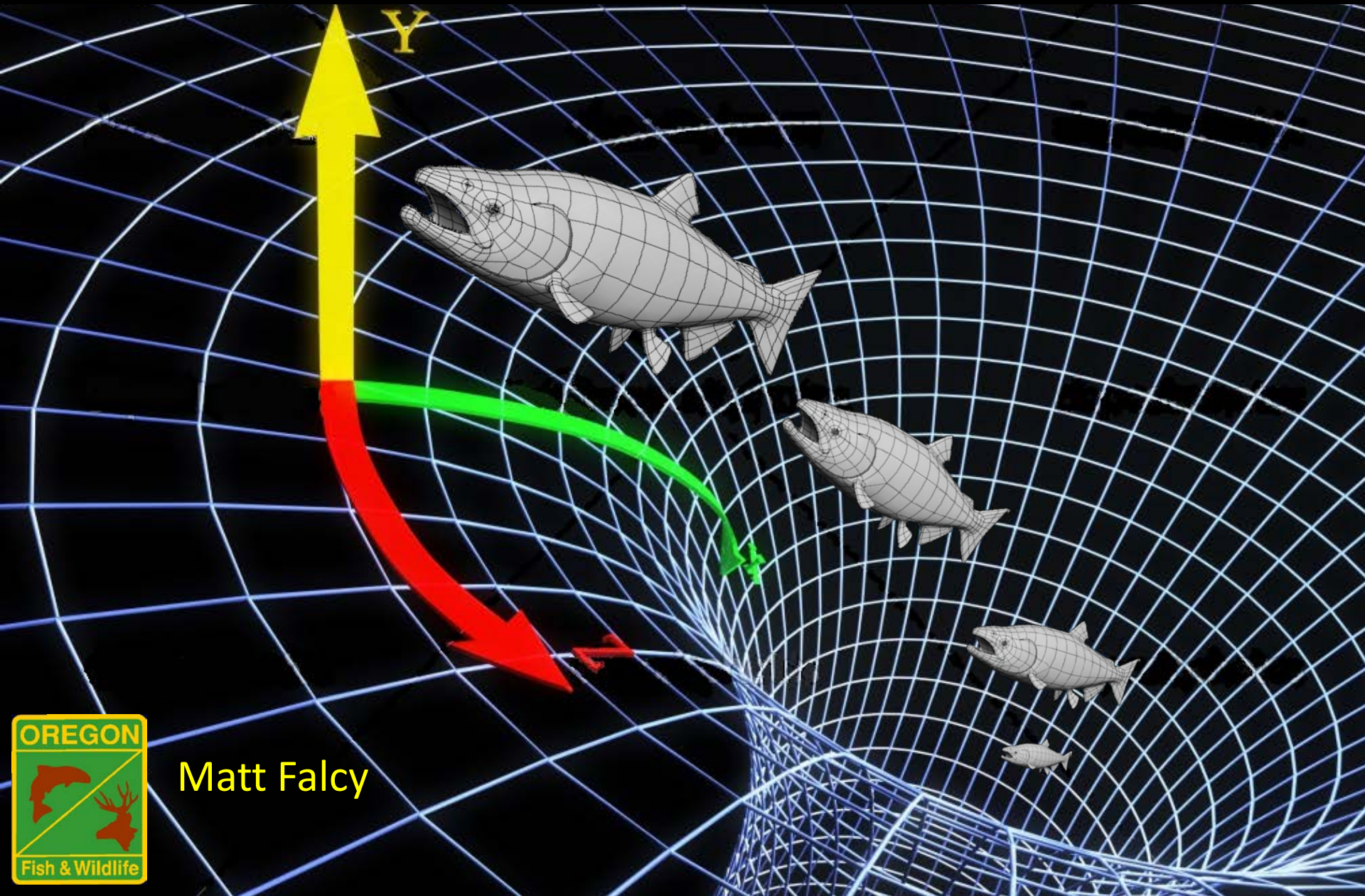


# Combining genetics and demographics in a viability model of hatchery-wild systems subject to environmental change



Matt Falcy

# Objective and Methods

## Objective

**Explore effects of pHOS, pNOB, and wild broodstock take (“mining”) on population persistence.**

## Methods

### **I. Analytical model (genetic)**

- Relative fitness is response
- Explore sensitivity to selection parameters

### **II. Individual-based model (genetic & demographic)**

- Population viability is response
- Environmental change
- Explore effect of “mining” wild fish

# I. Analytical Model- Quantitative Genetics

## Selection in Captivity during Supportive Breeding May Reduce Fitness in the Wild

MICHAEL J. FORD

National Marine Fisheries Service, Northwest Fisheries Science Center, Conservation Biology Division, 2725 Montlake Boulevard E., Seattle, WA 98112, U.S.A., email mike.ford@noaa.gov

---

**Abstract:** *I used a quantitative genetic model to explore the effects of selection on the fitness of a wild population subject to supportive breeding. Supportive breeding is the boosting of a wild population's size by breeding part of the population in captivity and releasing the captive progeny back into the wild. The model as-*

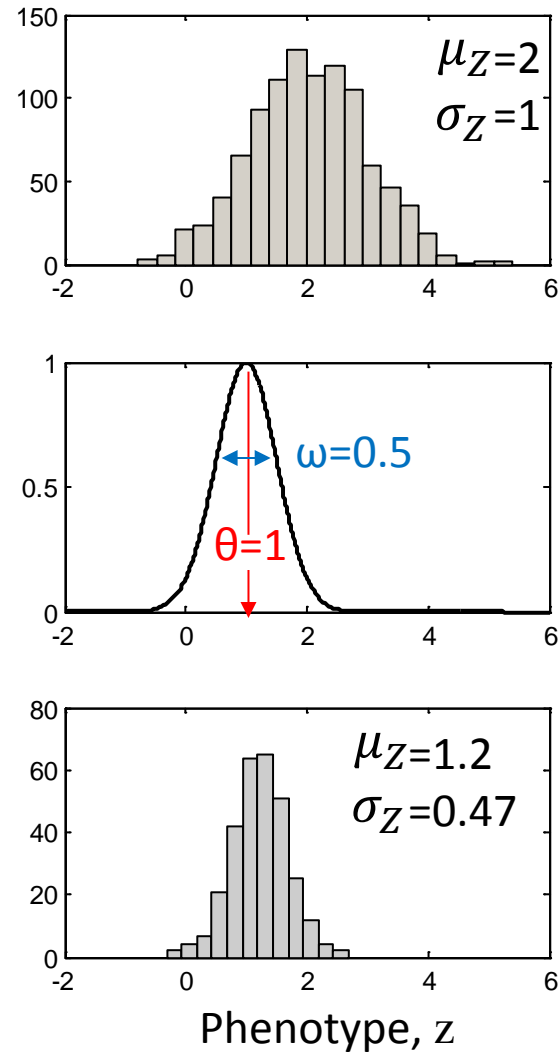
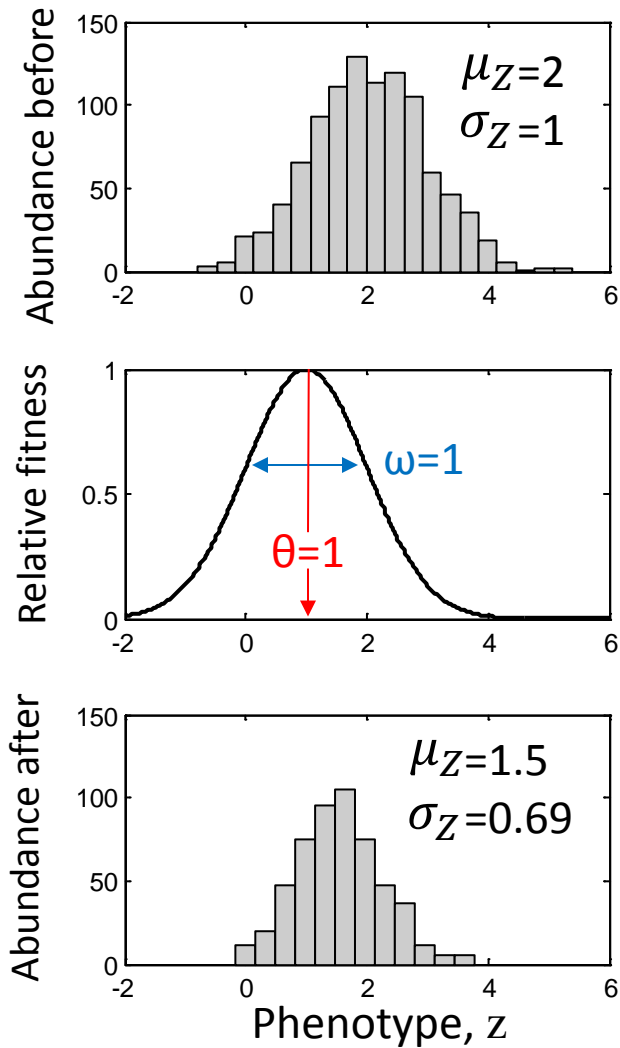
## White Paper No. 1<sup>1</sup>

### **Predicted Fitness Effects of Interbreeding between Hatchery and Natural Populations of Pacific Salmon and Steelhead**

#### 1 Introduction

The propagation of Pacific salmon and steelhead (*Oncorhynchus* spp.<sup>2</sup>) in hatcheries has raised concerns for more than 30 years regarding the long-term genetic effects of hatchery-origin fish on the mean fitness of natural populations (Reisenbichler and

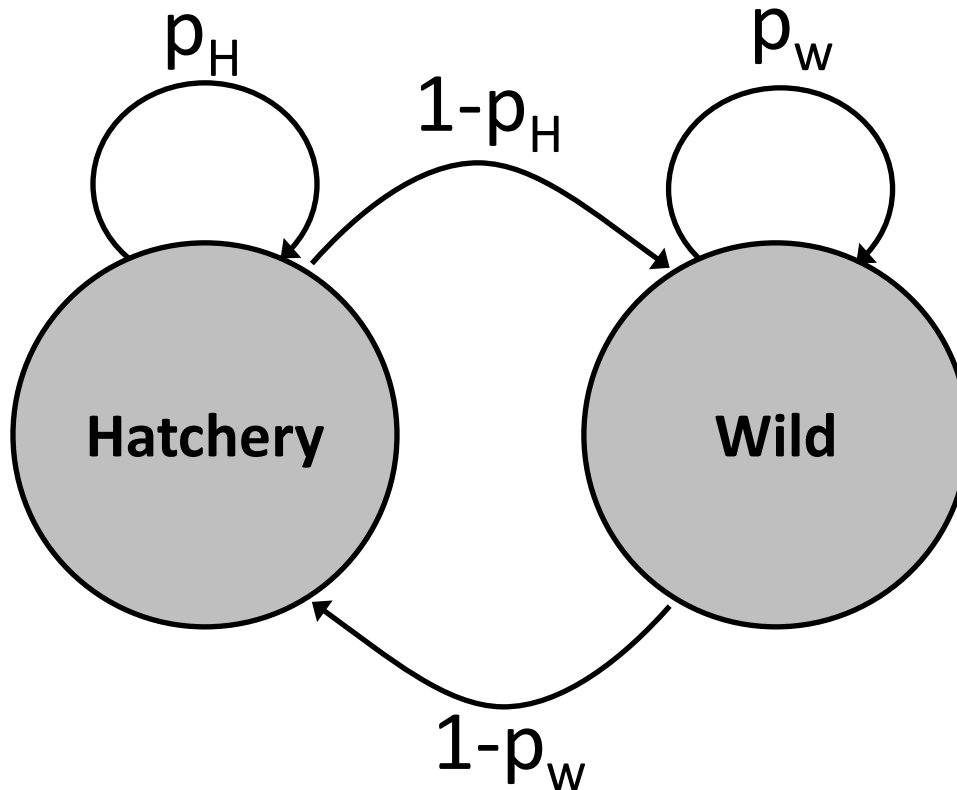
# Selection on a Quantitative Character



$$\mu'_Z = \mu_Z + \left[ \frac{\mu_Z \omega^2 + \theta \sigma_Z^2}{\omega^2 + \sigma_Z^2} - \mu_Z \right] h^2 = 1.5$$

$$\mu'_Z = \mu_Z + \left[ \frac{\mu_Z \omega^2 + \theta \sigma_Z^2}{\omega^2 + \sigma_Z^2} - \mu_Z \right] h^2 = 1.2$$

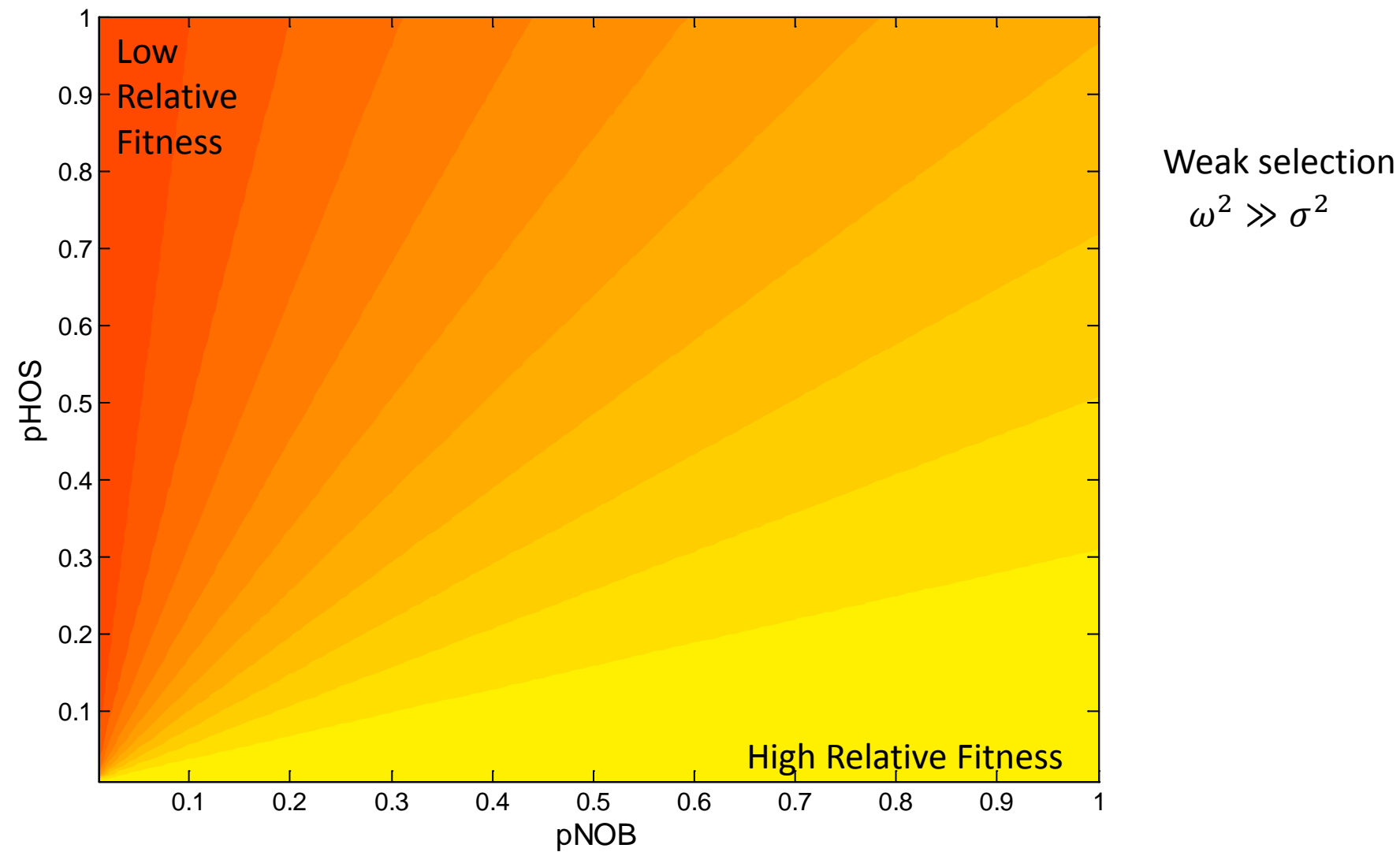
# Selection on a Quantitative Character



$$\hat{z}_W = \frac{\sigma^2 \left( (1 + p_H(h^2 - 1))\theta_W + (h^2 - 1)(p_W - 1)\theta_H \right) + \theta_H(\omega_W^2 - \omega_W^2 p_W) - \theta_W \omega_H^2 (p_H - 1)}{\sigma^2(2 - p_W - p_H + h^2(p_W + p_H - 1)) + \omega_W^2(1 - p_W) + \omega_H^2(1 - p_H)}$$

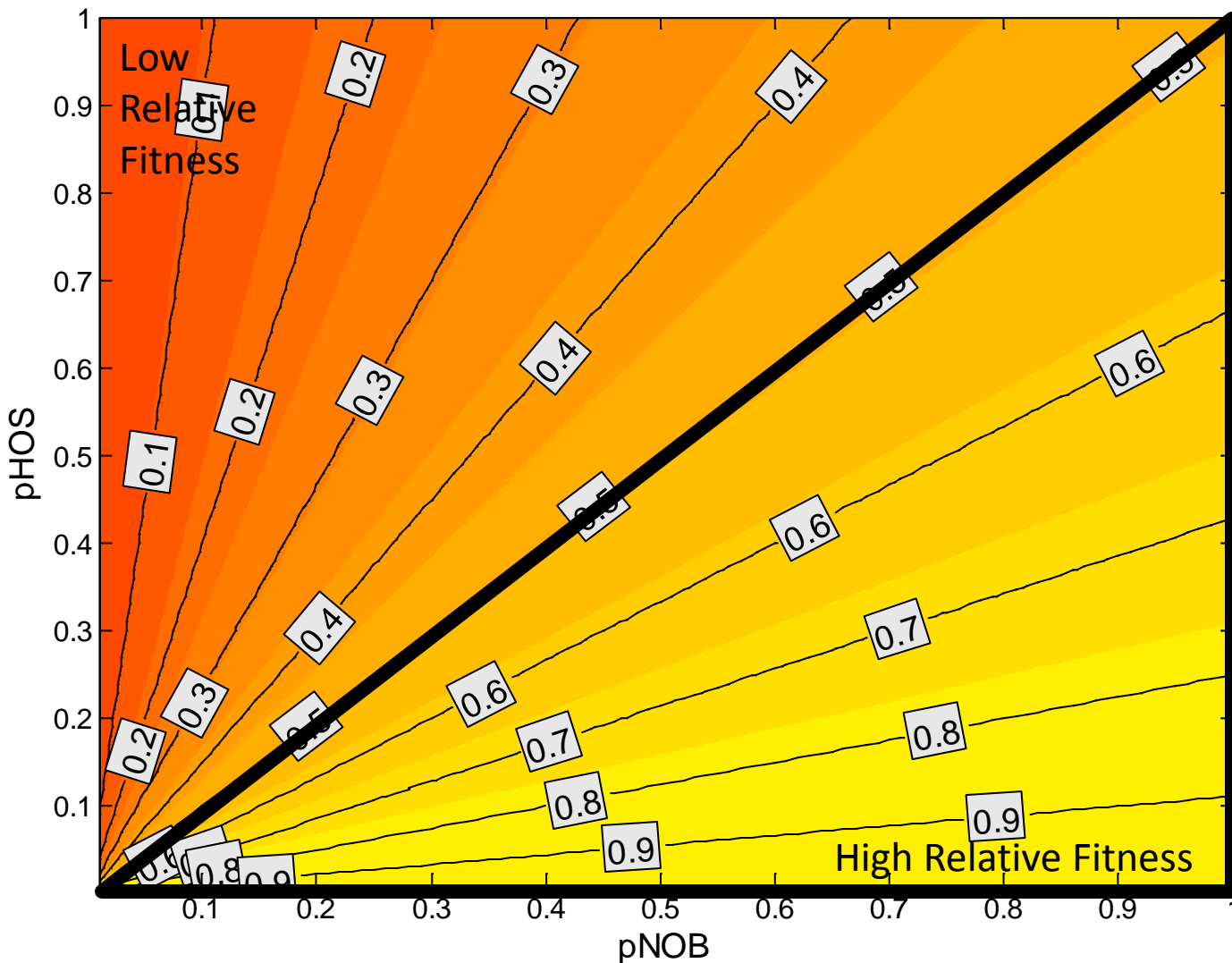
$$\hat{W} = e^{\left[ \frac{-(\hat{z} - \theta)^2}{2(\omega^2 + \sigma^2)} \right]}$$

# Selection on a Quantitative Character



# Selection on a Quantitative Character

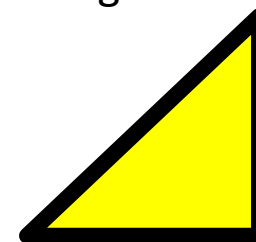
$$PNI_{Approx} = \frac{pNOB}{pNOB + pHOS}$$



Weak selection

$$\omega^2 \gg \sigma^2$$

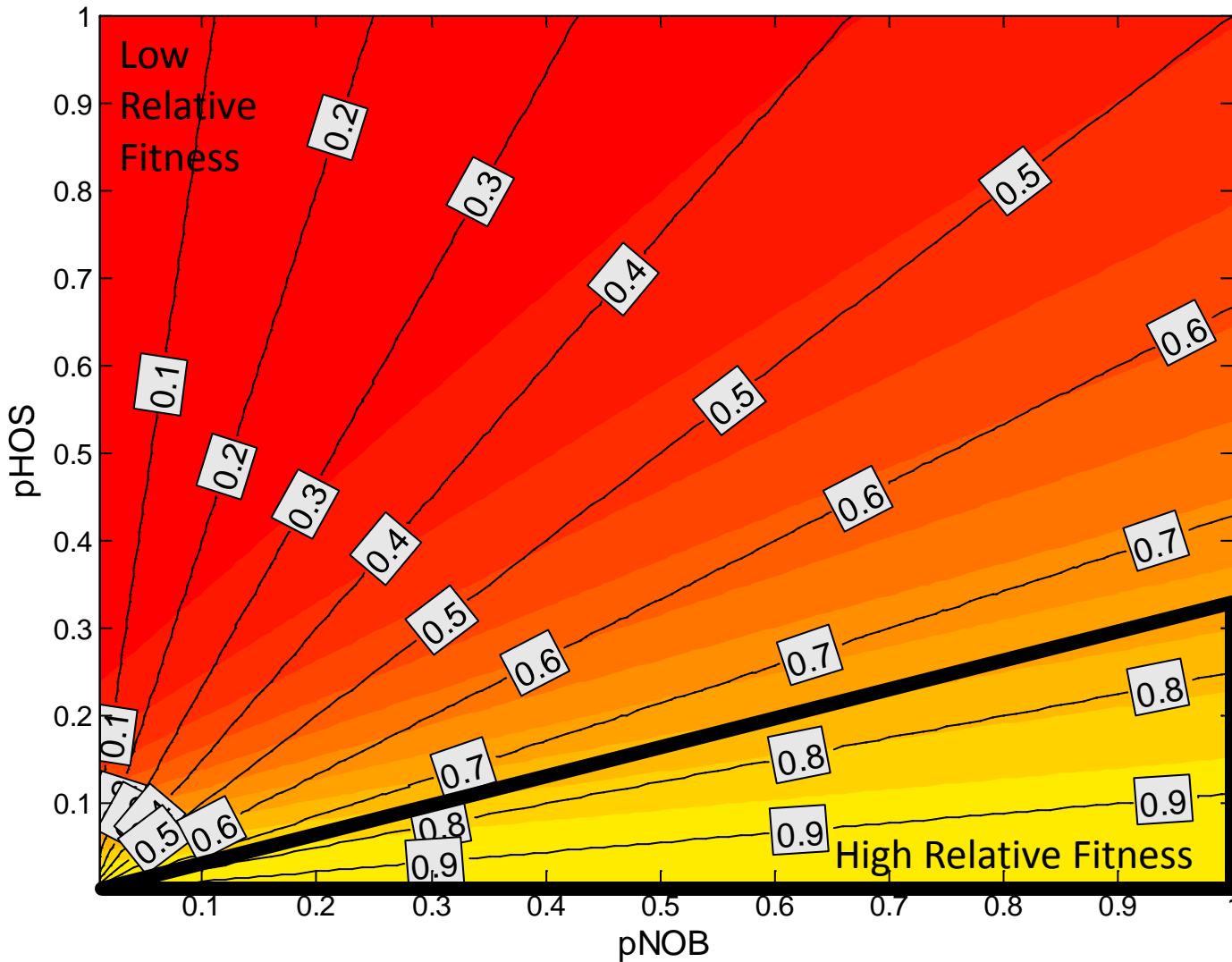
“Golden triangle of genetic goodness”



$PNI > 0.5$

# Selection on a Quantitative Character

$$PNI_{Approx} = \frac{pNOB}{pNOB + pHOS}$$



Stronger selection

$$\omega^2 > \sigma^2$$

“Golden triangle of genetic goodness”





# II. Individual-based Model of Niche Evolution

## The phenomenology of niche evolution via quantitative traits in a 'black-hole' sink

R. D. Holt<sup>1</sup>, R. Gomulkiewicz<sup>2</sup> and M. Barfield<sup>1</sup>

<sup>1</sup>111 Bartram Hall, Department of Zoology, University of Florida, PO Box 118525, Gainesville, FL 32611-8525, USA

<sup>2</sup>School of Biological Sciences and Department of Mathematics, Washington State University, PO Box 644236, Pullman, WA 99164, USA

Previous studies of adaptive evolution in sink habitats (in which isolated populations of a species cannot persist deterministically) have highlighted the importance of demographic constraints in slowing such evolution, and of immigration in facilitating adaptation. These studies have relied upon either single-locus

## Temporal Variation Can Facilitate Niche Evolution in Harsh Sink Environments

Robert D. Holt,<sup>1,\*</sup> Michael Barfield,<sup>1,†</sup> and Richard Gomulkiewicz<sup>2,‡</sup>

1. Department of Zoology, P.O. Box 118525, University of Florida, Gainesville, Florida 32611-8525;

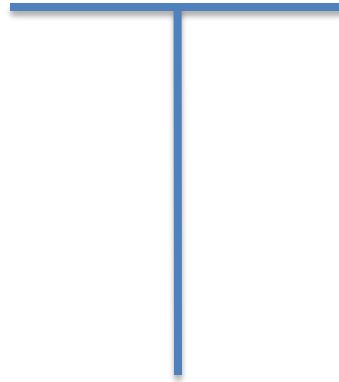
2. Department of Mathematics, P.O. Box 643113, and School of Biological Sciences, P.O. Box 644236, Washington State University,

A classic problem in evolutionary biology is to understand the factors that govern the tempo of evolutionary change (Simpson 1944). Many controversies have swirled around the issue of whether intrinsic factors (e.g., developmental

## II. Individual-based Model of Niche Evolution

	Parent ♀	
<b>Locus1</b>	0.066	0.272
<b>Locus2</b>	0.136	-0.001
.	.	.
.	.	.
.	.	.
<b>Locus10</b>	0.024	-0.271

	Parent ♂	
<b>Locus1</b>	0.159	-0.338
<b>Locus2</b>	0.082	0.082
.	.	.
.	.	.
.	.	.
<b>Locus10</b>	-0.271	-0.125



	Offspring	
<b>Locus1</b>	0.272	-0.338
<b>Locus2</b>	0.136	0.082
.	.	.
.	.	.
.	.	.
<b>Locus10</b>	-0.271	-0.271

Individual's phenotype is sum of allelic values +  $Normal(0,1)$

# II. Individual-based Model of Niche Evolution

## Model attributes

- Allows selection-mutation-drift balance
- Relaxes assumption of constant heritability ( $h^2 = \frac{V_A}{V_A + V_E}$ )
- Relaxes assumption of constant phenotypic variance
- Demographic stochasticity

# Reproducible Result

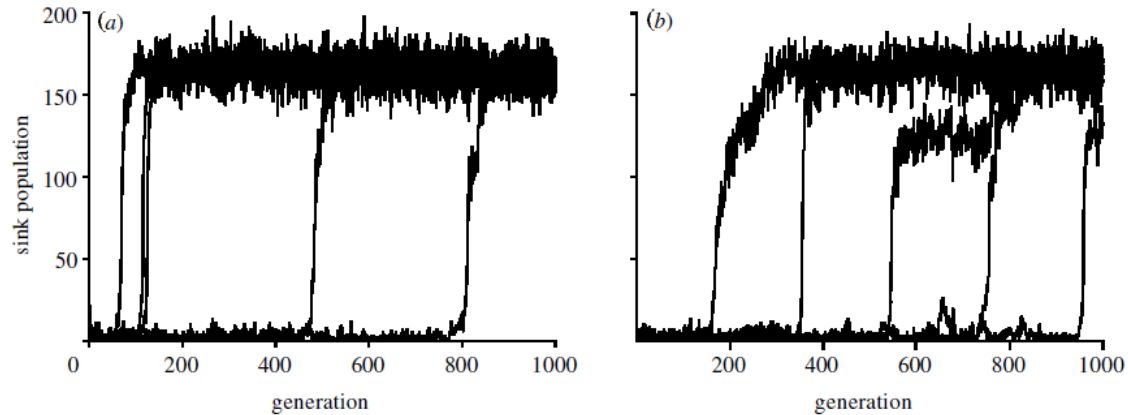
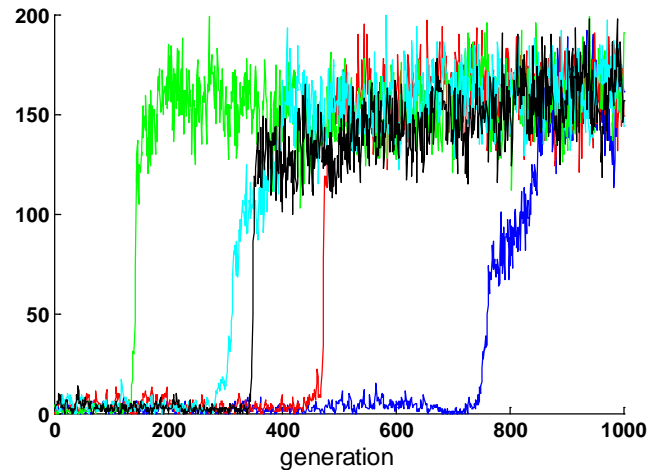
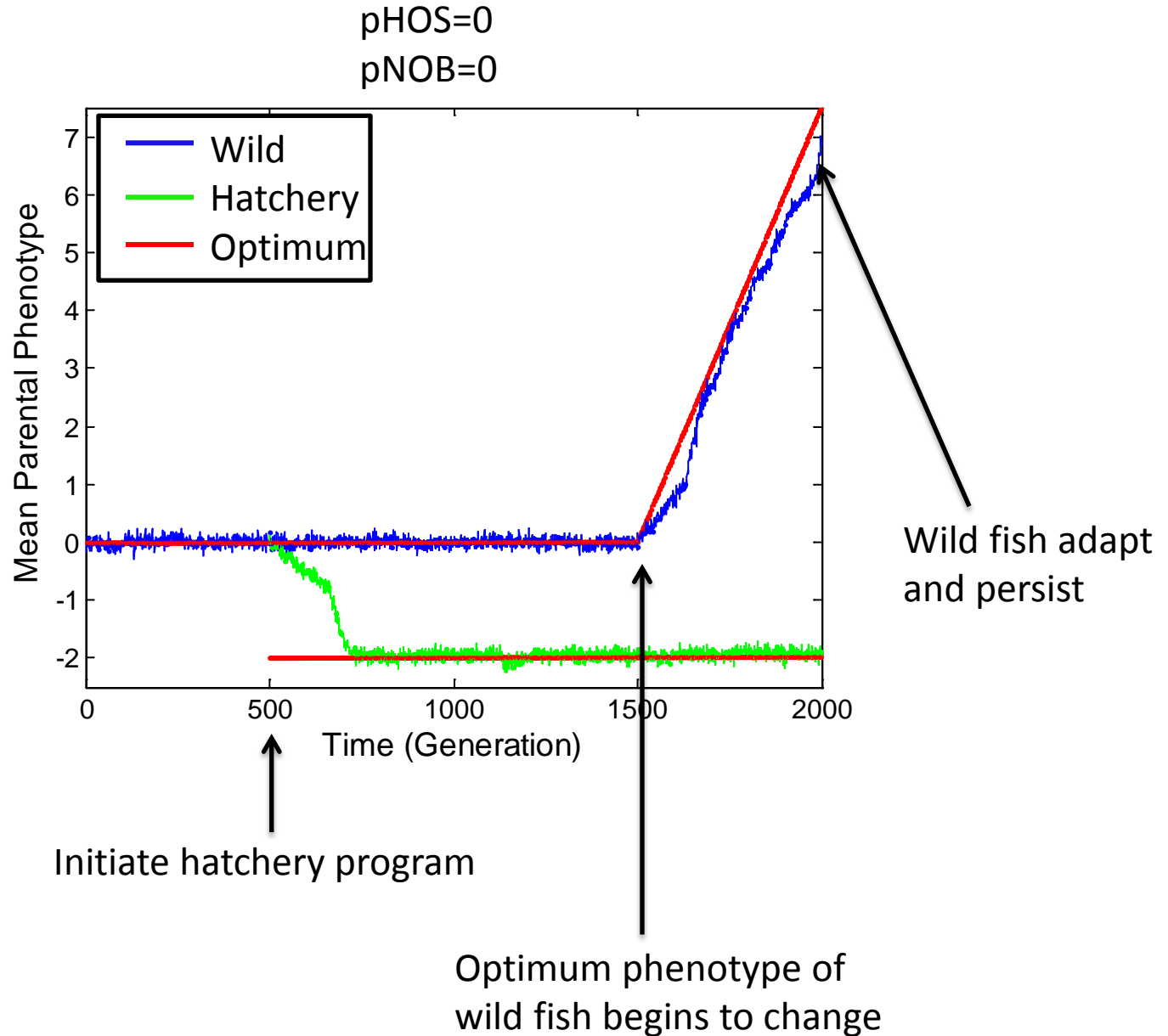


Figure 2. Characteristic examples of population dynamics for species adapting to sink habitats. For the five examples shown on each panel,  $K = 64$ ,  $2B = 8$ ,  $n\mu = 0.01$ ,  $n = 10$ ,  $\alpha^2 = 0.05$ ,  $I = 4$ ,  $\omega^2 = 1$ ,  $\theta_{source} = 0$ , and  $\theta_{sink} = 2.8$ . The population sizes shown are numbers of adults, after selection and before immigration. (a) With sink mutation; (b) same as (a) except with no sink mutation.

My re-creation



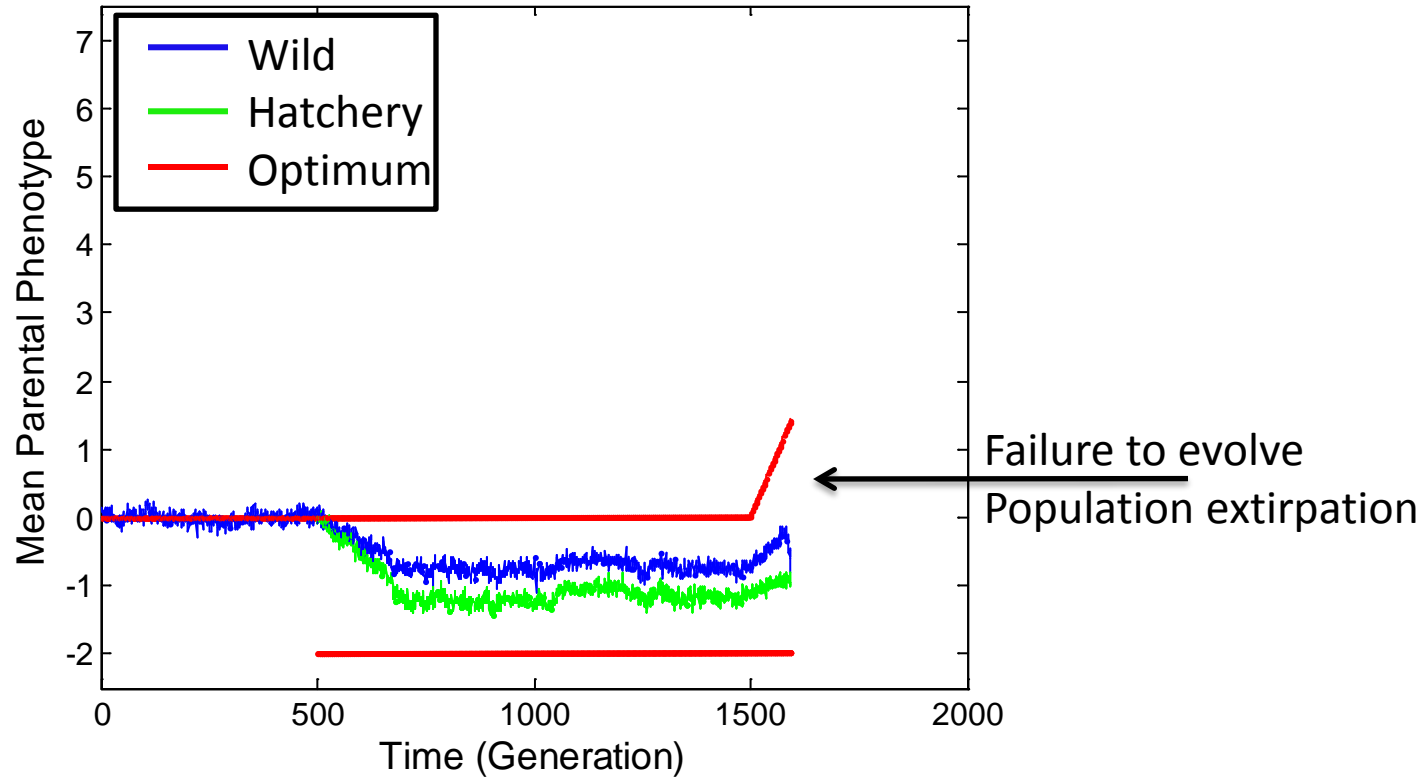
# Simulation Result



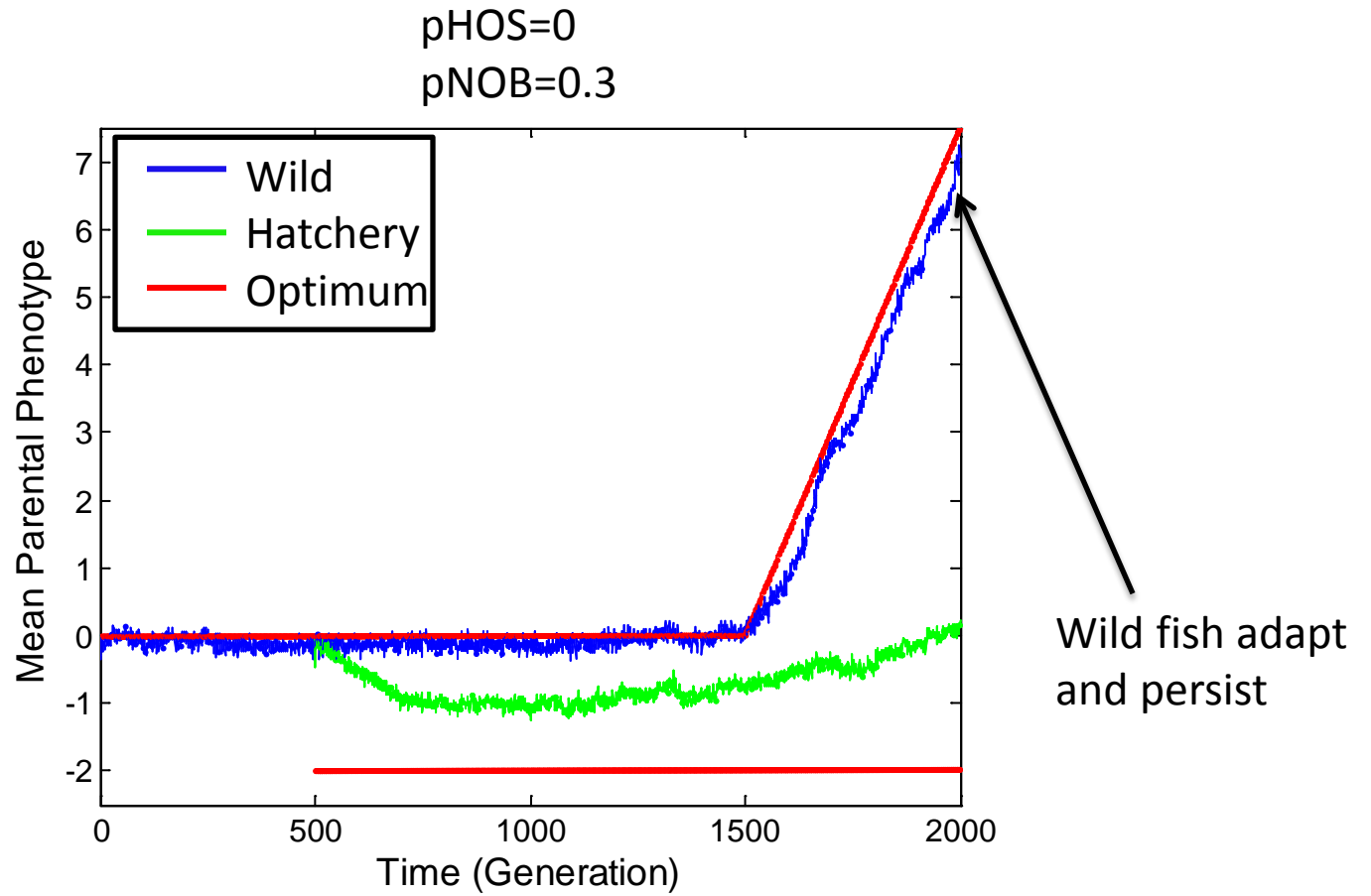
# Simulation Result

pHOS=0.3

pNOB=0.3

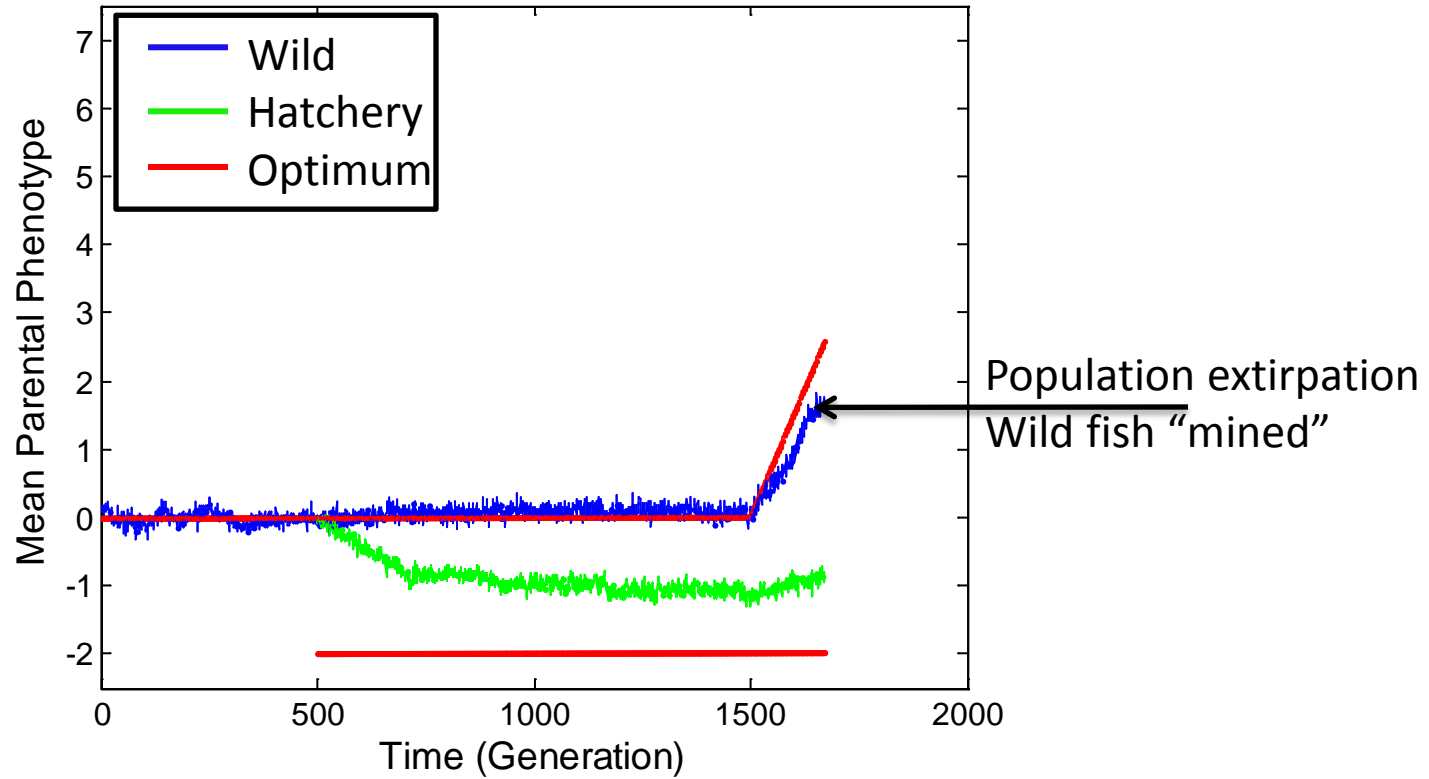


# Simulation Result



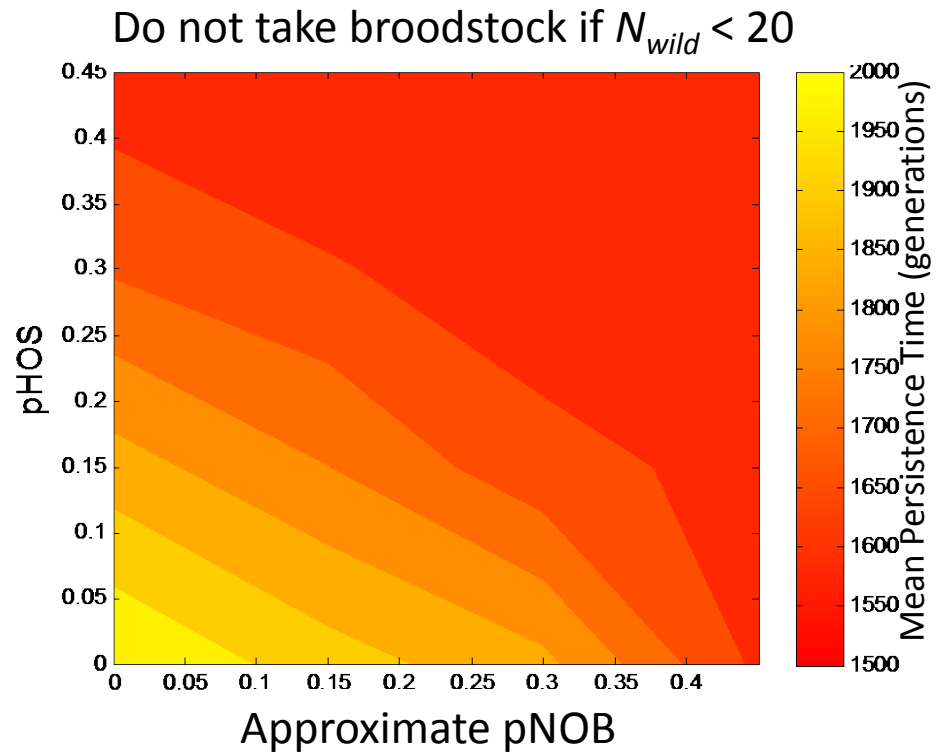
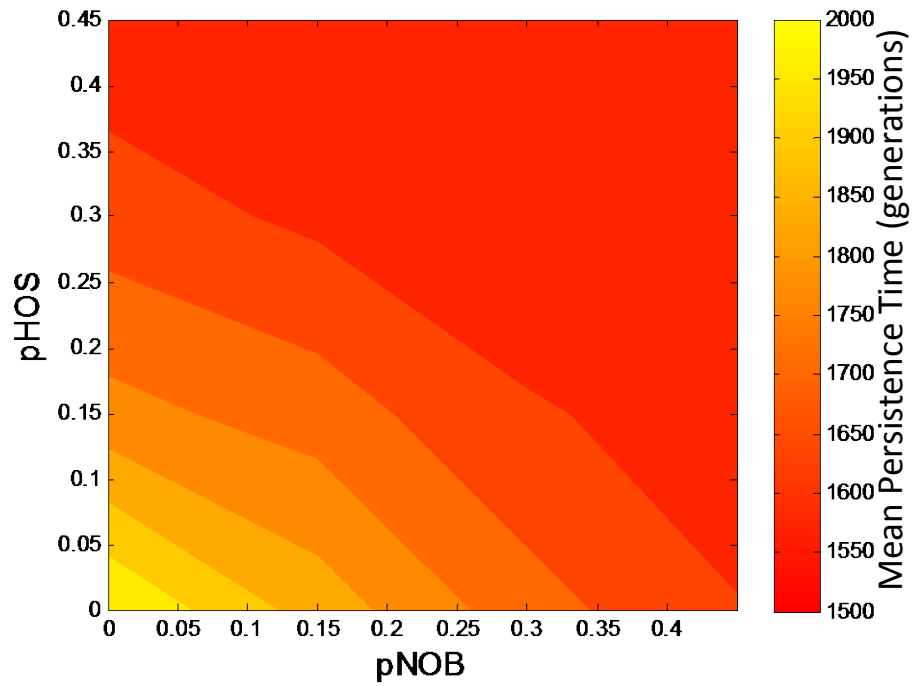
# Simulation Result

pHOS=0  
pNOB=0.3





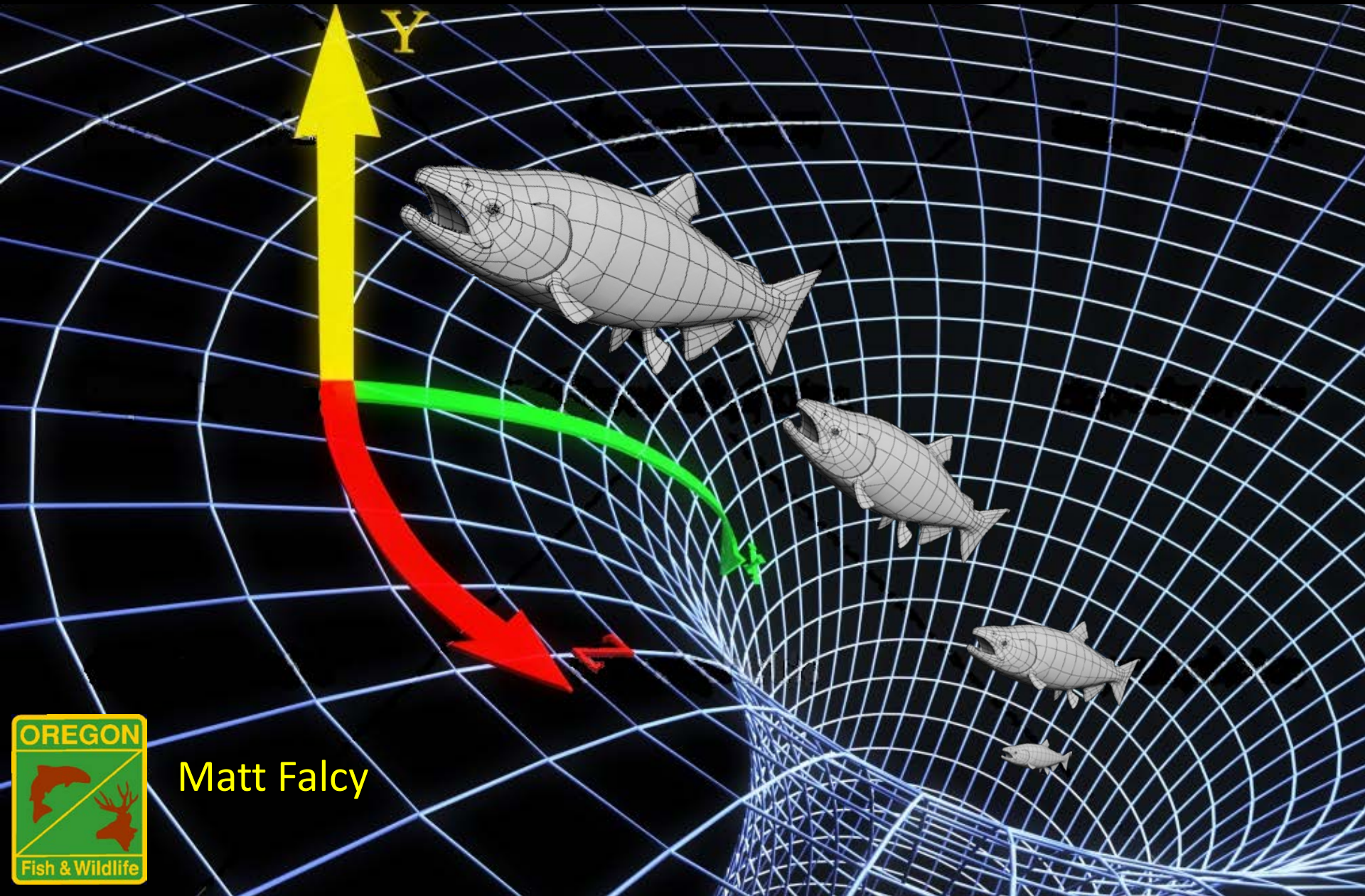
# Simulation Results



# Concluding Remarks

- pHOS and pNOB are measurable and partially controllable
- Analytical and individual-based models can paint different pictures
- Some optimal combination of pHOS, pNOB and “mining rule” must exist in theory
- Individual-based model offers useful realism, but parameterization still problematic
- Value of empirical research on model assumptions?
  - i) How different are fitness functions in hatchery and wild?
  - ii) Recent finding of rapid adaptation
  - iii) Basket and Waples (2012): timing of selection vs. density dependence

# Combining genetics and demographics in a viability model of hatchery-wild systems subject to environmental change



Matt Falcy